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Perceived Attractiveness of Structured Financial Products: The Role of Presentation Format and Reference Instruments

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ABSTRACT
Structured equity-linked products hold a strong position in the asset universe in Europe, although they are often considered to be overly complex. Their risk and return profile is typically presented by simple payoff diagrams and verbal descriptions. The authors propose to complement the payoff diagrams with information on the payoff’s probability distribution and study different presentation formats in an experimental setting with multiple investment decisions. They introduce a flexible framework for designing tailor-made products, which allows them to implement a part of the experiment as an interactive exploration in which the participants experience the risk-return tradeoff and the role of different features of structured products. The authors find that displaying probability histograms can have a strong effect on the perceived attractiveness of the products by revealing the loss probability. In contrast to common practice, the present results suggest that the reference instrument shown in graphical displays should be risk-adjusted to match the risk of the structured product. Otherwise, a preference for lower risk might be misinterpreted as a preference for a specific return profile. These findings can be used to improve information documents for investors such as the “Key Information Document” required by European regulation.

KEYWORDS
Structured products; Investment decisions; Presentation format; Risk perception; Asset allocation

Introduction
Even though structured equity-linked products attracted a considerable amount of criticism during the financial crisis of 2007–2009, they have maintained a strong position in the asset universe in Europe, accounting for a market value of USD $650 billion at the end of 2014 (SRP [2015]). The variety of structured products has increased strongly since their inception in the early nineties, and some of the most popular products have a complex, nonlinear payoff structure. This raises the question whether investors fully understand the product characteristics. When the structured products issued by Lehman Brothers defaulted in the wake of the bank’s bankruptcy, it became evident that many investors had not been aware of the credit risk involved. Prior research also provides evidence that investors generally do not have a balanced view of products’ risk and return characteristics (Lindauer and Seiz [2008], Rieger [2012], Rieger et al. [2014], Wallmeier and Diethelm [2009, 2012]). The issuers might even have an incentive to choose a product design that exploits the behavioral biases of investors (Ofir and Wiener [2012], Hens and Rieger [2014], Kunz et al. [2017]).

Whereas new products have become increasingly complex, the way they are presented—typically by means of a simple payoff diagram and a verbal description of the investment risks involved—has hardly changed. In recent years, following a proposition of the German Derivatives Association and the Swiss Structured Product Association, a risk score has been introduced in Germany and Switzerland, which is now available for most of the structured products traded on the Swiss and German exchanges. The score ranges from 1 to 5 in Germany and from 1 to 6 in Switzerland. It is based on a value-at-risk (VaR) approach using historical simulation with daily returns, a confidence level of 99%, and a holding period of 10 days (DDV [2017], SVSP [2015]). This risk score appears to be easy for even inexperienced investors to grasp. However, VaR does not capture the particular shape of the return distribution of structured products, and the holding period of 10 days does not correspond to the typical investment horizon, which is much longer. Therefore, VaR is of
limited use in characterizing the risk-return profile of structured products. A natural way to illustrate this profile would be to complement the payoff diagram with information on the payoff’s probability distribution. This approach has been followed in asset allocation studies (e.g., Weber et al. [2005]) but not in investment decisions about structured products. This extension is the focus of our study. Our first research question is the following: Do investors perceive the attractiveness of structured products differently when the payoff profile is complemented with an illustration of the payoff probability distribution, and is the way in which the probability distribution is shown important? We hypothesize that the probability distribution matters and allows for a better understanding of the risk-return profile than the payoff diagram and verbal descriptions alone. The presentation must be intuitive and easy to comprehend.

Our second research question is as follows: Does an adequate illustration of probability distributions help investors differentiate between a particular structured product and a simpler strategy in which the underlying asset is combined with a risk-free asset to achieve a similar combination of risk and return? We hypothesize that a reason for the perceived attractiveness of structured products is that they are evaluated with respect to an inadequate reference instrument. For example, payoff diagrams and verbal descriptions often compare a capital protection product with a pure investment in the underlying asset. If investors prefer the capital protection instrument in this comparison, this might simply indicate a preference for lower risk. Thus, a suitable reference point would be a combination of the underlying asset with a risk-free asset. The presentation format (PF) can help to highlight the remaining differences and identify the better alternative.

To study our research questions, we conduct 2 experiments, both of which use the same between-subjects design with the PF as the treatment variable. This design can be described as follows. The first group, which serves as the control group, sees only the payoff diagrams. The 2 treatment groups see additional illustrations of the payoff probability distribution—the first treatment group in the form of a probability histogram and the second treatment group in the form of a chart with ordered payoffs that represent the same probability.

The experiments consist of 3 parts. In the first part, the participants assess the attractiveness of 3 structured products that correspond to the 3 main product types: a stock investment providing a linear payoff, a capital protection product characterized by limited downside risk, and a reverse convertible characterized by limited upside potential. The participants rate the products’ attractiveness and decide how to distribute a given investment amount among the 3 instruments. In the second part, we let the participants design a tailor-made structured product from a wider range of possibilities. The participants were allowed to specify the desired capital protection level, the maximum payout, and the slope of the linear profile between the chosen capital protection level and maximum payout. These parameters uniquely determine the structured product with a fixed price. The parameters also allow the participants to create a broad range of payout profiles that include the main products listed in the derivative map of the European Structured Investment Products Association (Eusipa). The participants manipulate the parameters with sliders and can immediately see the resulting changes in the payoff diagram; if the participant belongs to one of the treatment groups, the probability graph can also be viewed. As part of the first research question, we test whether the chosen products are different between the 3 groups. In the third part, we combine the underlying asset and a risk-free asset in such a way that the portfolio has the same volatility as the structured product individually designed in the last step. We then let the participants rate this portfolio with respect to their optimal product. The participants see only the graphs corresponding to their group but do not know how the products were created. If participants were indifferent between the alternatives, this would mean that a simple combination of underlying asset and risk-free asset is sufficient to provide the desired risk-return combination.

In the current interest rate environment, the minimum payoff of a capital protection product is necessarily lower than the initial investment. Otherwise, there would be an arbitrage opportunity because a product that guarantees a repayment of 100% and still offers some upside potential would clearly be superior to a risk-free asset with an interest rate of zero. Our first experiment is based on the current interest environment and correspondingly assumes a capital protection level of only 90%. A serious shortcoming of this setting is that the results might be driven by an aversion of investors against likely losses. Loss probability aversion is a phenomenon that is well known in practice (Rieger [2016]) and is also well documented in the recent literature (Zeisberger [2016]). Therefore, our results for the capital protection product might not be applicable to situations in which the issuers can provide a guarantee level of 100%. To account for...
this concern, we repeat the first experiment (Experiment 1) with a new population of subjects for a risk-free interest rate of 4% and a capital protection level of 100% (Experiment 2). We hypothesize that PFs that make the loss probability of the capital protection product clearly visible will lead to a downgrade of the product in Experiment 1 but not in Experiment 2.

Our results are consistent with this hypothesis. Showing probability histograms has a strong effect on the perceived attractiveness of the capital protection product in Experiment 1 but not in Experiment 2. This finding confirms that loss probability aversion plays an important role in investment decisions and it suggests that the presentation mode is important to reveal the loss probability. When presenting probability histograms, we also find an important role of the reference instrument. In almost all graphical displays used in practice, the underlying asset is used as a reference instrument for comparison. We follow this practice when designing tailor-made products. When the individually designed product is then compared with a risk-adjusted linear instrument based on probability histograms, the participants no longer express a preference for one or the other. This result is the same in both experiments. It suggests that the preference for certain structured products might be due to a preference for lower risk rather than a particular structure of the payoff profile.

Our study is related to the previous literature showing that the PF affects investor decisions in a systematic and nontrivial way. Weber et al. [2005] examined the impact of the PF on investors’ asset choices and their assessments of the risk involved in portfolios of stocks and bonds. Depending on whether a probability density or a chart of historical returns was shown, investors’ risk assessments were significantly different. Kaufmann et al. [2013] studied an asset allocation decision combining a stock index with a risk-free asset. The results showed that experience sampling, in which participants drew returns from the relevant return distribution, increased the willingness to take risks. Bradbury et al. [2015] confirmed the relevance of experience sampling in a setting in which the number of draws was fixed, and the sample, by construction, reproduced the shape of the underlying distribution. In 2 stages, the subjects were asked to choose between structured products with capital protection levels from 0% to 100%. The first-stage decision took place after showing a verbal description and a payoff diagram; the second-stage decision occurred after an additional experience sampling. More than half of the subjects changed their initial product choice, and most of them switched to a riskier product.

Vrećko et al. [2009] analyzed how the PF affects the revealed skewness preferences of investors. Using combinations of stocks, calls, and a risk-free asset, they constructed one symmetrical, one left-skewed, and one right-skewed return distribution, all with the same volatility. The display of probability density functions led to a pronounced preference for the left-skewed product, while the display of cumulative distribution functions seemed to favor the right-skewed product.

Döbeli and Vanini [2010] tested whether easily understandable explanations of structured products are effective. Subjects were confronted either with traditional, rather technical term sheets or with fact sheets that explained the products in simple terms. The main finding was that the simple fact sheets highly encouraged people to invest, especially first-time buyers and women. This conclusion resulted from both a questionnaire with hypothetical products and a field experiment with real products.

Our intended contribution to the prior literature is threefold. First, we present a flexible framework for designing tailor-made structured products, which will allow us to implement part of the experiment as an interactive exploration. In our setting, experience sampling is difficult to apply because the return profiles studied are highly nonlinear; a large number of drawings would be required to capture the particular shape of the return distribution. In addition, the process is cumbersome if it has to be repeated for several products. Therefore, we propose and implement an alternative interactive tool in which investors can experience important aspects of the risk-return tradeoff. Second, we study the importance of the PF by comparing the main types of structured products available in real markets. This comparison spans a wider range of nonlinear payoff profiles than previous studies. Third, the role of the reference instrument and the case for displaying it in risk-adjusted terms have not gained much attention in the literature so far. Overall, our findings can be used to improve information documents for investors.

The remainder of the article is structured as follows. The second section introduces our PFs. The third section explains our framework for designing tailor-made products. The fourth through sixth sections present the experimental design, describe the data sample, and report our results, respectively. The last section concludes.

Presentation formats

We employ 3 different PFs in our study. The first (PF 1) consists of payoff diagrams and is shown to all
groups of subjects equally. The payoff diagrams used in the study are similar to those used by Eusipa and many issuers with one noteworthy difference. Eusipa and the issuers typically show a stylized payoff diagram for all products within a product group, for example, reverse convertibles. Thus, specific product characteristics such as the coupon rate are not apparent. To ensure that the products are correctly displayed, we always use the specific parameters of the presented products. Figure 1 shows the payoff diagrams of Experiment 1 (left side) and Experiment 2 (right side) for 3 products: a stock investment (upper graph), a capital protection product (CPP; middle graph) and a reverse convertible (RC; lower graph). The stock of the first graph is also the underlying asset of the CPP and RC. The value of the stock investment at the maturity date $T$ is shown on the horizontal axis. All products are designed such that they have an initial value of 10000. The CPP has a minimum payout that is 10% below (Experiment 1) or equal to (Experiment 2) the initial investment. The RC provides a coupon of 10%, so that the maximum profit is 1000. For better comparison, the payoff diagrams of CPP and RC also show the linear profile of the underlying stock in gray lines. We assume an expected stock excess return of 5% per annum (p.a.), a return volatility of 30% p.a., and an investment horizon of 1 year. We
further assume that the stock return is log-normally distributed, as it is in the Black-Scholes model. Thus, we ignore stochastic volatility, jumps, and fat tails. These factors are important for option pricing but less so in a comparison of the return distributions of different types of products. The characteristic shapes of the return distributions of the CPP and RC are so different that the details of the return generating process do not play an important role in our graphical displays.

Figure 2. Risk and return characteristics of the 3 base products (stock, CPP, and RC) from the first experiment illustrated with histograms (left) and charts with 50 ordered payoffs (right). The gray dots represent the underlying stock.
The second illustration used in our study (PF 2) includes probability histograms as shown in the left graphs of Figure 2 (Experiment 1) and Figure 3 (Experiment 2) for the same 3 products as before. This diagram represents the most common way of presenting probability distributions. The horizontal axis indicates the gains and losses in dollar amounts, and the vertical axis indicates the probability of a gain or loss falling into the interval of the respective bar. To facilitate the risk and return comparison, gains are shown in blue,
Designing tailor-made structured products

In a part of our experiment, the participants are asked to design their own structured product. The participants specify the minimum payoff, the maximum payoff, and the slope of the straight line between the minimum and maximum payoffs (see Figure 4). On this basis, the thresholds between the 3 sections of the payoff diagram are determined in such a way that the product value is equal to 10000. Technically, the resulting profile corresponds to a collar instrument, which can be decomposed into a long position in the underlying stock, a long put option with a strike price $X_1$ and a short call option with a strike price $X_2 > X_1$. The instrument is sufficiently flexible to include our previous products as special cases: the collar is equal to a stock investment for $X_1 = 0$ and $X_2 \to \infty$; it corresponds to a CPP for $X_1 > 0$ and $X_2 \to \infty$ and to a RC for $X_1 = 0$ and limited $X_2$.

We use the following symbols for the formal derivation of the collar: $T$ is the investment horizon and $t \leq T$ the valuation time; $S_t$ is the share price of the underlying stock and $C_t(X)$ and $P_t(X)$ are the values of calls and puts, respectively, with strike price $X$ and time to maturity $T - t$. We define $n$ as the number of shares of the underlying stock that have an aggregate value of 10000 so that $n = 10000/S_t$. Finally, $A_t$ is the risk-free investment at time $t$ and $r$ is the risk-free interest rate (continuously compounded).

The participants specify 3 parameters: the minimum payoff $K \geq 0$, the maximum payoff $M > K$, and the slope $s$ in the middle section of the payoff diagram ($X_1 < S_T < X_2$). The corresponding collar can then be derived from 3 formal conditions.

The first condition is to achieve the specified slope $s$, which means that the collar must include $ns$ shares of the underlying stock. The slope is then equal to (see Figure 4):

$$s = \frac{M - K}{n(X_2 - X_1)},$$

which is equivalent to:

$$X_2 = X_1 + \frac{M - K}{sn}.$$  \hspace{1cm} (2)

The second condition is to ensure the minimum payoff $K$ in case of $S_T \leq X_1$. In this case, the put option is exercised, while the call option expires worthless. Thus, the value of the stock position, the put option payoff and the risk-free asset at $T$ must add up to $K$:

$$snS_T + sn(X_1 - S_T) + A_te^{r(T-t)} = K.$$ \hspace{1cm} (3)

The third condition requires that in the case of $S_T \geq X_2$, the aggregate value of the stock position, the short call and the risk-free asset is equal to the maximum payoff $M$:

$$snS_T - sn(S_T - X_2) + A_te^{r(T-t)} = M.$$ \hspace{1cm} (4)

Solving Equation 3 for $A_t$ gives:

$$A_t = (K - snX_1)e^{-r(T-t)}.$$ \hspace{1cm} (5)

This is the same value that we obtain when solving Equation 4 for $A_t$ and inserting $X_2$ from Equation 2.
Finally, the time $t$ value of the collar must be equal to the investment amount of 10000. Formally:

$$\begin{align*}
snS_t + snP_t(X_1) - snC_t\left(X_1 + \frac{(M-K)}{(sn)}\right) + (K-snX_t)e^{-r(T-t)} &= 10000. \\
\end{align*}$$

(6)

We solve this equation for the only unknown, which is $X_1$. Thus, the collar is unambiguously specified. When the participants change their input parameters, the calculations are rerun and the collar is adjusted accordingly.

Our approach is related to other tools proposed in the literature. In the “distribution builder” of Sharpe et al. [2000], Goldstein et al. [2008], and Sharpe [2011], investors can build and explore different probability distributions for end-of-period wealth by arranging 100 markers on a digital board. Only distributions that satisfy a given budget constraint are allowed. The cost of different marker positions is derived from an equilibrium asset pricing model. This builder is designed for a single use to find the best distribution; it is less suitable for our study, which requires repeated comparisons of different shapes of distributions.

Rieger and Hens [2012] proposed a tool for designing structured products in which people were able to create their own desired payoff profile as the connecting line of a number of points that could be moved on a touch screen. After each move, the payoff profile was automatically shifted upward or downward to ensure the budget constraint was applied. While this tool allows for almost any shape of the probability distribution, our builder focuses on conventional payoff profiles within the scope of the Eusipa derivative map.

**Experimental design**

We use a between-subjects design with 3 groups, in which the PF serves as between-subjects variable. The first group with PF 1 (only payoff diagram) serves as the control group. The second group is treated with PF 2 (payoff diagram and probability histogram) and the third group with PF 3 (payoff diagram and chart with 50 ordered payoffs). The subjects are assigned randomly to the 3 groups. A within-subjects design is not possible because it would suffer from the problem of irreversible treatments. The PF of the previous stages would presumably carry over to the current choices, because subjects would still have the prior PF in mind.

In the general introduction, participants were informed that the study would take about 15 min and that they could quit at any time. We then collected information about the subjects’ financial knowledge and experience. Specifically, subjects were asked about their familiarity with statistics and structured financial products and whether they had already invested in structured products, stocks, mutual funds, bonds, or derivatives.

In the next step, the subjects’ risk preferences were identified. For this purpose, we used 5 different measures. The first 2 measures represent certainty equivalents for hypothetical lotteries derived from Rieger et al. [2014], in which we determine the subjects’ willingness to pay either to participate in a lottery with gains or to avoid a lottery with losses. The latter is used to elicit subjects’ risk preferences in the domain of losses. The other 3 measures are taken from the domain-specific risk-taking scale of Blais and Weber [2006]. While this scale contains multiple questions to assess risk attitudes in different domains, we only consider those related to investment decisions. In these questions, subjects are asked to indicate the likelihood of investing a certain percentage of their annual income in different alternatives on a 7-step scale. The 5 risk attitude measures, together with the 4 experience measures, are used as control variables.

The main part of the experiments consists of 3 investment choices. For the first decision, the subjects were introduced to 3 investment products using the graphical display of their assigned PF. These products are identical to the 3 hypothetical products presented in the Presentation Formats section, namely, a stock, a CPP with a minimum payoff of 90% (Experiment 1) or 100% (Experiment 2), and a RC with a maximum payoff of 110% of the initial investment amount. The stock serves as the underlying asset of the CPP and RC. Owing to its essential role, the stock is always displayed first on the left side. The order of the 2 structured products is then determined randomly. To measure the perceived attractiveness of the 3 products, we apply 2 different measures. First, the subjects were asked to rate the attractiveness of each product on a 5-step scale from very unattractive to very attractive. Second, the attractiveness was determined in a hypothetical investment decision, in which the subjects could allocate an investment budget of 10000 CHF over an investment period of 1 year.

In the second investment decision, the participants designed their own structured product based on the collar framework presented in the Designing Tailor-Made Structured Products section. They were again...
asked to imagine having to invest an amount of 10000 CHF in the created product for 1 year. As a consequence, the subjects designed the most attractive product according to their perception based on the assigned PF. The starting point of the individual product design is a product with a linear payoff profile. Using sliders, the participants could change 3 parameters: (a) the minimum payoff or capital protection level within a range of 0–100% of the investment budget, (b) the maximum payoff within the range of 100–200% of the invested amount; and (c) the slope between the minimum and maximum payoff within a range of 0.2–3.2. On the basis of these input parameters, the threshold values between the 3 sections of the payoff profile were determined as presented in the section Designing Tailor-made Structured Products ($X_1$ according to Equation 6 and $X_2$ according to Equation 2). The resulting collar was displayed in the graphs of the assigned PF. The changes could be seen in real time. The graphs react smoothly to the slider control so that the participants could explore the effects of the input parameters.

In the third investment decision, the individually designed product was compared with a linear product with the same volatility. This linear product consisted of a simple combination of the stock and the risk-free asset. The underlying idea is to introduce a reference instrument that entails a similar risk as the structured product. In the previous graphs, the underlying stock without risk adjustment always had served as a reference instrument (see the gray lines in Figure 1 and the gray dots in Figures 2 and 3). This is in line with generally accepted practices. However, compared with this reference point, a CPP might look attractive not because of its particular payoff structure but because of its lower risk compared with the underlying stock. For this reason, we tested whether the perceived attractiveness of the tailor-made product survives when the alternative is to adjust the risk level of the linear profile in the most simple way.

As in the first investment decision, the subjects rated the perceived attractiveness of both products on a 5-step scale before they set the investment weights in a hypothetical investment decision with a budget of 10000 CHF and an investment period of 1 year. The individual product was introduced as new structured product; we did not reference it as the individual product of the previous part, because the participants might have otherwise tended to adhere to their earlier choice even if this new product was inferior in light of the new situation. The placement of the 2 products (left or right on the screen) was again determined randomly.

In the last step, subjects were asked about different demographic attributes such as age, income, education, profession, and gender. These attributes are used as additional control variables. Appendix A gives an overview over all variables included in the study. Appendix B shows screenshots of the different stages of the first experiment. The second experiment has the same design. The only differences are a higher risk-free interest rate (4% instead of 0%) and a higher protection level of the CPP in the first investment decision (100% instead of 90%).

**Participants**

To identify the required sample size for our experimental design, we conducted a power analysis based on our regression models using the software G*Power 3 of Faul et al. [2007]. For a medium standardized effect size of 0.15 (Cohen [1988]), the required sample size ranges from 36 to 106 for each experiment, depending on the power, which we vary from 0.5 to 0.95.

This study was conducted with undergraduate and graduate students, mostly with a background in finance. We carried out 2 sessions per experiment, each with approximately 30–40 students, in a controlled environment (laboratory with separate workplaces). Experiment 1 was also conducted online with additional participants. The total sample size is 108 for Experiment 1 and 71 for Experiment 2. We incentivized participants with monetary compensation for each investment decision. In the compensation scheme, the hypothetical investment budget of 3 times 10000 CHF was broken down to 3 times 5 CHF. To calculate the subjects’ payoff, the returns of the 3 investment choices were simulated and applied to the base value of 5 CHF. The average compensation was 15.8 CHF; the minimum and maximum amounted to 6 CHF and 30 CHF, respectively; and the volatility was 4.1 CHF.

Fifty-seven subjects were assigned to PF 1, 62 subjects to PF 2, and 60 subjects to PF 3. The average age of the sample is 23.9 years old. Of the participants, 55.9% have a monthly income lower than 1000 CHF and 36.3% have a monthly income between 1000 and 3000 CHF. Most of the subjects reported that their highest degree is either a high school diploma (48.6%) or a bachelor’s degree (45.2%); 68.7% are men, 87.7% are Swiss citizens, and 97.2% are unmarried. All subjects reported that they either had basic
statistical knowledge (71.5%) or were very familiar with statistics (27.9%). Only a few subjects had never heard of structured financial products before (6.7%). A minority had invested in structured products (10.1%) or other assets (26.8%) before. The subjects are on average risk averse in the domain of gains and risk seeking in the domain of losses. Of the participants, 70.9% reported that it is likely that they will invest 10% of their annual income in a moderate growth diversified fund. However, only 37.5% (31.3%) indicated that they will likely invest 5% (10%) of their annual income in a very speculative stock (a new business venture).

Figure 5 shows the average values of different demographical variables for each group. The control group with PF 1 has a greater share of women than the other 2 groups (36.8% vs. 30.6% and 26.7%). In addition, profession or rather income seems to be somewhat unevenly distributed. For instance, while there are only 48.4% with a monthly income below 1000 CHF in the group with PF 2, the share in the other 2 groups is 57.9% and 55.9%, respectively. Apart from that, the groups are similar in terms of demographics. Figures 6 and 7 show the average outcomes and standard errors of the 4 experience measures and the 5 risk preference measures. To increase comparability, these measures were linearly transformed to a scale from 0 to 1. The risk preference measures are all defined in such a way that a higher value indicates a higher willingness to take risks.6

**Results**

**Attractiveness of the three types of products**

In the first investment choice, the participants evaluated the attractiveness of the 3 base products: stock, CPP, and RC. In the following, for ease of presentation, the attractiveness scores and other ordinal measures are transformed to a scale from 0 to 1. All statistics are based on these transformed variables.

Figure 8 shows the means and standard deviations of the attractiveness scores and investment weights for the 3 PFs. In Experiment 1 (upper panel), 4 observations stand out. First, for the stock investment, the results are very similar across the PFs. Second, the results of PF 3 (50 ordered payoffs) are similar to those of PF 1 (only payoff diagram). A natural explanation is that the structural aspects of the 2 graphs are similar (see Presentation Formats section). Apparently, the additional probability information embedded in PF 3 does not strongly affect the product assessments. Third, the ordering of the products is clear in PF 1 and PF 3: the CPP is perceived to be more attractive than the stock investment, and the stock investment is perceived to be more attractive.
than the RC. Last, PF 2 (probability histogram) has a substantial effect on the products’ perceived attractiveness. From the point of view of participants who have access to the probability histograms, the CPP appears to be much less attractive and the RC much more attractive. As a result, the stock investment, CPP, and RC all obtain roughly the same attractiveness score in PF 2.

In Experiment 2 (lower panel), the results for PF 1 and PF 3 are similar to Experiment 1. The only noteworthy difference is that the RC is regarded as more attractive when presented in PF 3 compared with PF 2.
1. Owing to the higher interest rate, the expected stock return (interest rate + risk premium) is higher in Experiment 2 than in Experiment 1. This means that the maximum payoff of the RC is more likely, which is clearly visible in PF 3 but not in the payoff diagram PF 1. The additional probability information appears to be helpful in this case. The main difference between the results of Experiments 1 and 2, however, is that the CPP no longer loses its attractiveness when presented in PF 2. This is consistent with the notion that loss probability plays an important role in investment decisions. In the setting of Experiment 1, PF 2 highlights the large probability of losing 10% when investing in the CPP (bar shown in red), while in Experiment 2 no losses can occur so that all bars are shown in blue. We conclude that the additional information of PF 2 affects the perceived attractiveness of the CPP only if the protection level is below 100% so that a substantial loss probability becomes apparent.

These results are confirmed in a regression analysis including control variables. Let $A_{ij}$ denote the attractiveness of product $p \in \{\text{stock, CPP, RC}\}$ from the perspective of subject $i$. For each $p$, we run a separate regression:

![Figure 8. Perceived attractiveness and investment weights across the 3 PFs for study 1 (upper graph) and study 2 (lower graph).](image-url)
Table 1. Regression analysis of perceived attractiveness and investment weights for the stock, CPP, and RC.

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<th>Attractiveness stock</th>
<th>Attractiveness CPP</th>
<th>Attractiveness RC</th>
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<td>−0.09</td>
<td>−0.22**</td>
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<tr>
<td>Observations</td>
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<td>179</td>
</tr>
<tr>
<td>$R^2$</td>
<td>0.11</td>
<td>0.22</td>
<td>0.11</td>
</tr>
<tr>
<td>Adjusted $R^2$</td>
<td>−0.04</td>
<td>0.22</td>
<td>0.09</td>
</tr>
<tr>
<td>$F$ statistic</td>
<td>0.72</td>
<td>2.83***</td>
<td>1.82**</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th></th>
<th>Investment weight stock</th>
<th>Investment weight CPP</th>
<th>Investment weight RC</th>
</tr>
</thead>
<tbody>
<tr>
<td>Intercept</td>
<td>0.31</td>
<td>0.73***</td>
<td>0.63***</td>
</tr>
<tr>
<td></td>
<td>(0.30)</td>
<td>(0.32)</td>
<td>(0.04)</td>
</tr>
<tr>
<td>PF 2</td>
<td>0.05</td>
<td>−0.26***</td>
<td>0.23***</td>
</tr>
<tr>
<td></td>
<td>(0.05)</td>
<td>(0.05)</td>
<td>(0.05)</td>
</tr>
<tr>
<td>PF 3</td>
<td>0.02</td>
<td>0.07</td>
<td>0.07</td>
</tr>
<tr>
<td></td>
<td>(0.05)</td>
<td>(0.05)</td>
<td>(0.05)</td>
</tr>
<tr>
<td>PF 1 × Exp. 2</td>
<td>−0.02</td>
<td>0.01</td>
<td>−0.03</td>
</tr>
<tr>
<td></td>
<td>(0.08)</td>
<td>(0.08)</td>
<td>(0.07)</td>
</tr>
<tr>
<td>PF 2 × Exp. 2</td>
<td>−0.03</td>
<td>0.24***</td>
<td>−0.21***</td>
</tr>
<tr>
<td></td>
<td>(0.08)</td>
<td>(0.08)</td>
<td>(0.07)</td>
</tr>
<tr>
<td>PF 3 × Exp. 2</td>
<td>−0.001</td>
<td>−0.04</td>
<td>0.04</td>
</tr>
<tr>
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<td>(0.09)</td>
<td>(0.08)</td>
</tr>
<tr>
<td>Control variables</td>
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<td>yes</td>
<td>yes</td>
</tr>
<tr>
<td>Observations</td>
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<td>179</td>
</tr>
<tr>
<td>$R^2$</td>
<td>0.16</td>
<td>0.38</td>
<td>0.30</td>
</tr>
<tr>
<td>Adjusted $R^2$</td>
<td>0.005</td>
<td>0.27</td>
<td>0.17</td>
</tr>
<tr>
<td>$F$ statistic</td>
<td>1.03</td>
<td>3.47***</td>
<td>2.38***</td>
</tr>
</tbody>
</table>

$p < 0.1$, **$p < 0.05$, ***$p < 0.01$.

$$A^p_i = \beta_0 + \beta_1 D_{i,PF2} + \beta_2 D_{i,PF3} + \beta_3 D_{i,PF1} D_{i,Exp2}$$
$$+ \beta_4 D_{i,PF2} D_{i,Exp2} + \beta_5 D_{i,PF3} D_{i,Exp2} + \gamma Z_i + \epsilon_i^p, \quad (7)$$

where $\beta_0, \ldots, \beta_5$ and the elements in vector $\gamma$ are regression coefficients; $Z_i$ is a vector of control variables; $D_{i,PF1}, D_{i,PF2}$, and $D_{i,PF3}$ are dummy variables that take on the value of 1 if subject $i$ is exposed to PF 1, PF 2, or PF 3, regardless of whether the subject participates in Experiment 1 or 2; and $D_{i,Exp2}$ is a dummy variable that takes on the value of 1 if subject $i$ participates in Experiment 2.

The intercept $\beta_0$ in Equation 7 captures the base effect of PF 1 in Experiment 1 (minus the mean effect of the control variables). The coefficients $\beta_1$ and $\beta_2$ capture the additional effects of PF 2 and PF 3 in Experiment 1, respectively. Finally, the coefficient $\beta_3$ shows the additional effect of PF 2 in Experiment 2 compared with PF 2 in Experiment 1, and analogously for $\beta_4$ and $\beta_5$.

The first part of Table 1 shows the regression results. We run the same regressions with the dependent variable $A^p_i$ replaced by the investment weight $W^p_i$ attributed by subject $i$ to product $p$. These results are shown in the second part of Table 1.

The table includes regression specifications with and without control variables. We find that the control variables do not have a strong impact on perceived attractiveness or the investment weights with the exception of 3 variables that are significant in at least some of the specifications. The first is a dummy variable that takes the value of 1 if participants collected their monetary compensation and 0 for the few participants who did not collect their gains. The subjects who received a real monetary payoff preferred the CPP more than the subjects who did not receive a real payoff. At the same time, the subjects invested less in the stock, which is the most risky investment option. This finding shows that subjects tend to invest more carefully when real money is at stake and supports the importance of monetary incentives in financial decisions. Second, men seem to have different preferences than women. For example, men perceive the RC to be more attractive. This result cannot be explained by the different risk preferences between men and women, because the effect does not
disappear when including risk preferences in the model and because the stock is riskier than the RC and is nonetheless rated similarly. Third, risk preferences seem to have at least some importance. The subjects who are willing to pay a large amount to participate in a risky lottery with losses (risk preference measure 2) invest less in the CPP, which is consistent with the view that loss aversion leads to a preference for capital protection. However, surprisingly, there is no consistency among the 5 risk preference measures. When looking at the results, it is difficult to predict which product is preferred by risk-seeking or risk-averse individuals.

The most striking result in Experiment 1 apparent from Table 1 is that the CPP is very attractive for subjects in PF 1 and PF 3, while PF 2 makes the CPP appear much less attractive for the benefit of the RC (significantly negative PF 2 coefficients for the CPP and significantly positive PF 2 coefficients for the RC). However, these effects are not observed in Experiment 2, as the inverse signs of the coefficients for the interaction term PF 2 × Exp. 2 show. The attractiveness of the CPP is still smaller in PF 2 than in PF 1, but the difference is no longer significant.

**Tailor-made structured product**

Figure 9 and Table 2 show the results of the second investment decision, where subjects had to design their own structured product. An overall observation is that the subjects limited the upside and downside potential but both at a large distance from the investment amount.⁷

In Experiment 1, as in the first investment decision, the choices of the PF 2 group deviate significantly from the other 2 groups. On average, the subjects from the second group chose a maximum payoff that is lower by 1433 when compared with the PF 1 group.
In addition, their chosen minimum payoff is on average lower by 585. This result is consistent with the finding in the first part that participants exposed to PF 2 find the capital protection feature less attractive and the reverse convertible characteristic more attractive than other participants. However, PF 2 does not seem to have a significant effect on the choice of the slope in the middle area. This coefficient is mostly above 1. As before, there is no significant difference between PF 1 and PF 3.

In Experiment 2, subjects chose a higher minimum payoff, which is consistent with the lower price of capital protection in this high-interest setting. The slope coefficient in PF 2 and PF 3 is close to 1 and therefore significantly smaller than in Experiment 1. A natural explanation is that subjects used a large slope in Experiment 1 to compensate for the low protection level, which is no longer necessary in Experiment 2.

There is some evidence that risk preferences play a role in the individual product design. Subjects who are likely to invest 5% of their annual income in a speculative stock (risk preference measure 4) choose a significantly lower minimum payoff. The other risk preference measures mostly indicate that a high willingness to take risks results in a preference for a low capital protection level, a low maximum payoff and a high slope, but the coefficients are not significant.

Interestingly, subjects who are familiar with structured products (experience measure 2) prefer products with a high maximum payoff. Other variables that seem to have an impact on the individual product design are age, gender, and income. Older subjects chose a higher capital protection level. Men chose a significantly lower maximum payoff than women did. Men’s preference for a limited upside potential was already apparent in the first investment decision.

Table 2. Regression analysis of the properties of tailor-made products.

<table>
<thead>
<tr>
<th>Variable</th>
<th>Minimum payoff</th>
<th>Maximum payoff</th>
<th>Slope</th>
</tr>
</thead>
<tbody>
<tr>
<td>Intercept</td>
<td>6710</td>
<td>5314***</td>
<td>11738***</td>
</tr>
<tr>
<td>(4057)</td>
<td>(467)</td>
<td>(3963)</td>
<td>(450)</td>
</tr>
<tr>
<td>PF 2</td>
<td>-1011</td>
<td>-585</td>
<td>-1350**</td>
</tr>
<tr>
<td>(666)</td>
<td>(652)</td>
<td>(650)</td>
<td>(628)</td>
</tr>
<tr>
<td>PF 3</td>
<td>277</td>
<td>19</td>
<td>3</td>
</tr>
<tr>
<td>(681)</td>
<td>(656)</td>
<td>(666)</td>
<td>(633)</td>
</tr>
<tr>
<td>PF 1 × Exp. 2</td>
<td>653</td>
<td>1072</td>
<td>186</td>
</tr>
<tr>
<td>(1079)</td>
<td>(752)</td>
<td>(1054)</td>
<td>(725)</td>
</tr>
<tr>
<td>PF 2 × Exp. 2</td>
<td>666</td>
<td>1210^*</td>
<td>-403</td>
</tr>
<tr>
<td>(1064)</td>
<td>(715)</td>
<td>(1039)</td>
<td>(690)</td>
</tr>
<tr>
<td>PF 3 × Exp. 2</td>
<td>233</td>
<td>1354^*</td>
<td>327</td>
</tr>
<tr>
<td>(1104)</td>
<td>(728)</td>
<td>(1079)</td>
<td>(702)</td>
</tr>
<tr>
<td>Control variables</td>
<td>yes no</td>
<td>yes no</td>
<td>yes no</td>
</tr>
<tr>
<td>Observations</td>
<td>179</td>
<td>179</td>
<td>179</td>
</tr>
<tr>
<td>R²</td>
<td>0.23</td>
<td>0.06</td>
<td>0.22</td>
</tr>
<tr>
<td>Adjusted R²</td>
<td>0.09</td>
<td>0.03</td>
<td>0.08</td>
</tr>
<tr>
<td>F statistic</td>
<td>1.65**</td>
<td>2.05^*</td>
<td>1.60**</td>
</tr>
</tbody>
</table>

*p < 0.1. **p < 0.05. ***p < 0.01.

Additionally, men chose a higher slope. Subjects with higher income tend to favor a high maximum payoff.

Table 3. Deviation between the attractiveness (or, alternatively, the investment weights) of individual (tailor-made) products and risk-adjusted reference instruments for different subject groups.

<table>
<thead>
<tr>
<th>Variable</th>
<th>Experiment 1</th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>PF</td>
<td>n</td>
<td>μi</td>
<td>σ</td>
<td>t</td>
<td>PF</td>
<td>n</td>
</tr>
<tr>
<td>Delta attractiveness</td>
<td>3</td>
<td>50</td>
<td>0.17</td>
<td>0.35</td>
<td>2.88***</td>
<td>22</td>
<td>0.27</td>
</tr>
<tr>
<td>Delta attractiveness</td>
<td>2</td>
<td>37</td>
<td>0.03</td>
<td>0.34</td>
<td>0.61</td>
<td>25</td>
<td>0.04</td>
</tr>
<tr>
<td>Delta attractiveness</td>
<td>3</td>
<td>36</td>
<td>0.25</td>
<td>0.41</td>
<td>3.70***</td>
<td>24</td>
<td>0.24</td>
</tr>
<tr>
<td>Delta attractiveness all</td>
<td>108</td>
<td>0.15</td>
<td>0.37</td>
<td>4.18***</td>
<td>71</td>
<td>0.18</td>
<td>0.45</td>
</tr>
<tr>
<td>Delta investment weight</td>
<td>3</td>
<td>35</td>
<td>0.28</td>
<td>0.36</td>
<td>4.50***</td>
<td>22</td>
<td>0.33</td>
</tr>
<tr>
<td>Delta investment weight</td>
<td>2</td>
<td>37</td>
<td>0.00</td>
<td>0.42</td>
<td>0.06</td>
<td>25</td>
<td>-0.05</td>
</tr>
<tr>
<td>Delta investment weight</td>
<td>3</td>
<td>36</td>
<td>0.33</td>
<td>0.52</td>
<td>3.83***</td>
<td>24</td>
<td>0.33</td>
</tr>
<tr>
<td>Delta investment weight</td>
<td>all</td>
<td>108</td>
<td>0.20</td>
<td>0.46</td>
<td>4.60***</td>
<td>71</td>
<td>0.20</td>
</tr>
</tbody>
</table>

*p < 0.1. **p < 0.05. ***p < 0.01.

Additionally, men chose a higher slope. Subjects with higher income tend to favor a high maximum payoff.

Risk-adjusted reference instrument

In the last part of the experiments, subjects compare the individually designed product with the volatility-adjusted combination of the stock and the risk-free asset. An important observation is that the results of Experiments 1 and 2 shown in Figure 10 and Table 3 are practically identical.

In PF 1 and PF 3, the subjects perceived the individual product as more attractive. On average, they invest approximately 65% in the individual and only 35% in the volatility-adjusted product. In contrast, the PF 2 group does not show a preference for the tailor-made product on average, neither in the attractiveness score nor in the investment weights. Apparently, the simple linear product consisting of the stock and the risk-free asset is as attractive as the much more complicated structured product. This result suggests that...
the reference instrument is important, at least in the PF 2 mode, and it should be risk-adjusted to allow for a better comparison of the probability histograms.

The higher level of protection chosen in the high interest environment of Experiment 2 does not make the subjects hold on to their individual product more strongly than in Experiment 1. The risk adjustment of the alternative product takes the protection level into account, and the alternative product is also more attractive owing to the higher expected stock return. In both settings, PF 2 levels out the attractiveness of the individual and adjusted product.

It is important to note that it is the first moment of the distribution of the difference in attractiveness (delta attractiveness) and investment weights (delta weight) that shifts in PF 2. The second moment, however, is not systematically smaller in this PF, as can be seen from the standard deviations in Table 3. Thus, the individual preferences for one or the other product still appear to be strong in PF 2.

The results from the regression analysis in Table 4 suggest that education has an impact as well. Highly educated subjects seem to prefer the volatility-adjusted product more than less educated subjects do.
Table 4. Regression analysis of perceived attractiveness and investment weights for the individual (tailor-made) product and the risk-adjusted reference instrument.

<table>
<thead>
<tr>
<th></th>
<th>Attractiveness individual product</th>
<th>Attractiveness adjusted product</th>
<th>Delta attractiveness</th>
</tr>
</thead>
<tbody>
<tr>
<td>Intercept</td>
<td>1.11***</td>
<td>0.76***</td>
<td>0.12</td>
</tr>
<tr>
<td></td>
<td>(0.34)</td>
<td>(0.04)</td>
<td>(0.39)</td>
</tr>
<tr>
<td>PF 2</td>
<td>−0.09*</td>
<td>−0.12**</td>
<td>0.03</td>
</tr>
<tr>
<td></td>
<td>(0.06)</td>
<td>(0.05)</td>
<td>(0.06)</td>
</tr>
<tr>
<td>PF 3</td>
<td>−0.02</td>
<td>−0.03</td>
<td>−0.11*</td>
</tr>
<tr>
<td></td>
<td>(0.06)</td>
<td>(0.05)</td>
<td>(0.07)</td>
</tr>
<tr>
<td>PF 1 × Exp. 2</td>
<td>0.01</td>
<td>−0.01</td>
<td>−0.09</td>
</tr>
<tr>
<td></td>
<td>(0.09)</td>
<td>(0.06)</td>
<td>(0.10)</td>
</tr>
<tr>
<td>PF 2 × Exp. 2</td>
<td>0.04</td>
<td>0.03</td>
<td>0.02</td>
</tr>
<tr>
<td></td>
<td>(0.09)</td>
<td>(0.06)</td>
<td>(0.10)</td>
</tr>
<tr>
<td>PF 3 × Exp. 2</td>
<td>0.05</td>
<td>0.02</td>
<td>0.04</td>
</tr>
<tr>
<td></td>
<td>(0.09)</td>
<td>(0.06)</td>
<td>(0.11)</td>
</tr>
<tr>
<td>Control variables</td>
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<td>no</td>
<td>yes</td>
</tr>
<tr>
<td>Observations</td>
<td>179</td>
<td>179</td>
<td>179</td>
</tr>
<tr>
<td>$R^2$</td>
<td>0.18</td>
<td>0.05</td>
<td>0.14</td>
</tr>
<tr>
<td>Adjusted $R^2$</td>
<td>0.04</td>
<td>0.02</td>
<td>−0.02</td>
</tr>
<tr>
<td>$F$ statistic</td>
<td>1.27</td>
<td>1.69</td>
<td>0.90</td>
</tr>
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</table>

<table>
<thead>
<tr>
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<th>Weight individual product</th>
<th>Weight adjusted product</th>
<th>Delta weight</th>
</tr>
</thead>
<tbody>
<tr>
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<td>0.64***</td>
<td>−0.06</td>
</tr>
<tr>
<td></td>
<td>(0.36)</td>
<td>(0.04)</td>
<td>(0.38)</td>
</tr>
<tr>
<td>PF 2</td>
<td>−0.12*</td>
<td>−0.14**</td>
<td>0.12*</td>
</tr>
<tr>
<td></td>
<td>(0.06)</td>
<td>(0.06)</td>
<td>(0.06)</td>
</tr>
<tr>
<td>PF 3</td>
<td>0.03</td>
<td>0.03</td>
<td>−0.03</td>
</tr>
<tr>
<td></td>
<td>(0.06)</td>
<td>(0.06)</td>
<td>(0.06)</td>
</tr>
<tr>
<td>PF 1 × Exp. 2</td>
<td>0.01</td>
<td>0.03</td>
<td>−0.01</td>
</tr>
<tr>
<td></td>
<td>(0.10)</td>
<td>(0.07)</td>
<td>(0.10)</td>
</tr>
<tr>
<td>PF 2 × Exp. 2</td>
<td>−0.07</td>
<td>−0.03</td>
<td>0.07</td>
</tr>
<tr>
<td></td>
<td>(0.10)</td>
<td>(0.06)</td>
<td>(0.10)</td>
</tr>
<tr>
<td>PF 3 × Exp. 2</td>
<td>−0.02</td>
<td>0.02</td>
<td>−0.02</td>
</tr>
<tr>
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<td>(0.10)</td>
<td>(0.07)</td>
<td>(0.10)</td>
</tr>
<tr>
<td>Control variables</td>
<td>yes</td>
<td>no</td>
<td>yes</td>
</tr>
<tr>
<td>Observations</td>
<td>179</td>
<td>179</td>
<td>179</td>
</tr>
<tr>
<td>$R^2$</td>
<td>0.20</td>
<td>0.10</td>
<td>0.20</td>
</tr>
<tr>
<td>Adjusted $R^2$</td>
<td>0.06</td>
<td>0.07</td>
<td>0.06</td>
</tr>
<tr>
<td>$F$ statistic</td>
<td>1.42*</td>
<td>3.74***</td>
<td>1.42*</td>
</tr>
</tbody>
</table>

* $p < 0.1$. ** $p < 0.05$. *** $p < 0.01$.

**Conclusion**

There is an ongoing debate on how to present the risk and return characteristics of financial instruments in general and structured equity-linked products in particular. The large variety of structured products, their complexity and the nonlinear payoff profiles make it difficult for investors to get a balanced view of risk and return. There is some evidence that behavioral biases play an important role in the success of structured products. The products are mostly illustrated with only a payoff diagram, and they are often compared to the underlying asset, although they are, by construction (limited downside or upside potential), less volatile. Information on the probability of possible outcomes appears to be crucial but is typically not provided. We argue that additional displays of outcome probabilities and risk-adjusted reference instruments can help to assess the risk and return of structured products and improve investment decisions. Thus, we propose different PFs for the probability distribution and test their effect on the perceived attractiveness of structured products.

Using a between-subjects design for the PF, the participants rated the attractiveness of a stock, a capital protection product, and a reverse convertible and took multiple investment decisions. In Experiment 1, the capital protection level was 90% while Experiment 2 assumed higher interest rates so that a protection level of 100% could be offered.

In Experiment 1, the PF has a significant impact on both investment weights and perceived attractiveness. A bar chart with 50 ordered payoffs appears to convey only marginal probability information beyond payoff diagrams. Probability histograms, however, lead to a much more critical assessment of the capital protection product. The reason is that this PF reveals the high loss probability implied. When losses can no longer occur as in Experiment 2, the capital protection product stays attractive in the different PFs. This result is consistent with prior literature on loss probability aversion and the observation in practice that capital production products are only popular in situations in which full protection can be offered.

We find strong evidence that the PF plays an important role when investors compare a tailor-made structure with a simple combination of the underlying...
stock and the risk-free asset. While the subjects clearly prefer the tailor-made structure when confronted with payoff diagrams, the 2 alternatives are assessed as equally attractive in the PF with probability histograms. This result is the same in both experiments. Our interpretation is that participants who are confronted with probability histograms are more aware of the balance of risk and return in fairly priced products and less inclined to focus on individual aspects.

A limitation of our study is that we were not able to model both the PF and the reference instrument as between-subject variables. This would have required a subdivision of each PF group by reference instrument and a much larger sample size. Thus, our results on the reference instrument are indicative but inconclusive.

Notes

1. See Cao and Rieger [2013] for an extended discussion on the limitations of VaR as a risk measure for structured products.
2. The Eusipa derivative map divides structured products into different categories and provides a payoff profile and brief description for every category to support a uniform categorization among European markets and thus to improve the transparency and understandability of structured products, (see Eusipa [2016]).
3. We would like to thank an anonymous referee for pointing this out.
4. As Ibrekk and Morgan [1987] showed, people tend to regard the mode of a probability density function as the expected value, which could explain why the left-skewed product appeared attractive.
5. See Wallmeier [2011] for a comprehensive discussion of ways to present the risk-return profile of structured products.
6. For this reason, the risk preference measure 2 is defined as 1 minus the certainty equivalent for the lottery with losses.
7. The shape is similar to the average product resulting from the structured product design tool in Rieger and Hens [2012]. The capital protection level, however, is higher in Rieger and Hens [2012] than in our study.
8. The sum of the two investment weights (adjusted and individual product) in the second investment decision is equal to 1.
9. The sum of the three investment weights (stock, CPP and RC) in the first investment decision is equal to 1.

References


Appendix A: Overview of variables and measures

Dependent variables

Attractiveness adjusted product. Ordinal variable that indicates the perceived attractiveness of the volatility-adjusted product in the third investment decision.

Attractiveness CPP. Ordinal variable that indicates the perceived attractiveness of the CPP in the first investment decision.

Attractiveness individual product. Ordinal variable that indicates the perceived attractiveness of the self-designed structured product in the third investment decision.

Attractiveness stock. Ordinal variable that indicates the perceived attractiveness of the stock in the first investment decision.

Attractiveness RC. Ordinal variable that indicates the perceived attractiveness of the RC in the first investment decision.

Investment weight adjusted product. Investment weight of the volatility-adjusted product in the third investment decision.

Investment weight CPP. Investment weight of the CPP in the first investment decision.

Investment weight individual product. Investment weight of the self-designed structured product in the third investment decision.

Investment weight stock. Investment weight of the stock in the first investment decision.

Investment weight RC. Investment weight of the RC in the first investment decision.

Maximum payoff. Chosen upper payoff limit of the self-designed structured product in the second investment decision ranging from 10000 (investment budget) to 20000.

Minimum payoff. Chosen capital protection level of the self-designed structured product in the second investment decision ranging from 0 to 10000 (investment budget).

Slope. Chosen slope in the middle section of the payoff diagram between the minimum and maximum payoff of the self-designed structured product in the second investment decision ranging from 0.2 to 3.2.

Treatment variables

PF. Categorical variable that indicates the PF to which the subject is assigned (PF 1, PF 2 or PF 3).

Risk preference measures

Risk preference measure 1. Certainty equivalent to a lottery with a 60% chance to win 100.

Risk preference measure 2. 100 deducted by the (absolute value of the) certainty equivalent for a lottery with a 60% chance to lose 100.

Risk preference measure 3. Ordinal variable that indicates the likelihood of investing 10% of the annual income in a moderate growth diversified fund.

Risk preference measure 4. Ordinal variable that indicates the likelihood of investing 5% of the annual income in a very speculative stock.

Risk preference measure 5. Ordinal variable that indicates the likelihood of investing 10% of the annual income in a new business venture.

Experience measures

Experience measure 1. Ordinal variable that indicates familiarity with statistics.

Experience measure 2. Ordinal variable that indicates familiarity with structured financial products.

Experience measure 3. Dummy variable that takes the value 1 if the subject has already invested in structured financial products and 0 if not.

Experience measure 4. Dummy variable that takes the value 1 if the subject has already invested in stocks, funds, bonds or derivatives and 0 if not.
Demographic variables

Age. Age in years.

Education. Ordinal variable that indicates the highest degree.

Gender. Categorical variable that indicates whether the subject is male or female.

Income. Ordinal variable that indicates the monthly net income.

Profession. Categorical variable that indicates whether the subject is unemployed, in school, employed, self-employed or retired (main activity).

Other control variables

Experiment 2. Dummy variable that takes the value 1 if the subject participated in Experiment 2 and 0 if the subject participated in Experiment 1.

Language. Categorical variable that indicates whether the experiment was completed in German or in English.

Order 1. Categorical variable that indicates whether the CPP is displayed on the left and the RC on the right in the first investment decision or the opposite way around.

Order 2. Categorical variable that indicates whether the adjusted product is displayed on the left and the individual product on the right in the third investment decision or the opposite way around.

Payoff. Dummy variable that takes the value 1 if the subject received a real monetary payoff and 0 if the subject has not picked up the payoff.

Survey type. Categorical variable that indicates whether the experiment was completed online and or in a controlled setting.

Appendix B: Experiment

Instructions:

Page 1: Financial knowledge and experience

Are you familiar with statistics?
- Yes, I am very familiar with statistics.
- I know the basics.
- No, I have never dealt with it.

Are you familiar with structured financial products?
- Yes, I am very familiar with structured financial products.
- I could roughly explain structured financial products.
- I know roughly what they are.
- I have already heard of them.
- No, I have never heard of them.

Have you already invested in structured financial products?
- Yes
- No

Have you already invested in shares, funds, bonds or derivatives/options?
- Yes
- No
Page 2: Risk preferences

For each of the following statements, please indicate the likelihood that you would engage in the described activity or behavior if you were to find yourself in that situation.

- Investing 10% of your annual income in a moderate growth diversified fund.
  - Extremely unlikely
  - Moderately unlikely
  - Somewhat unlikely
  - Not sure
  - Somewhat likely
  - Moderately likely
  - Extremely likely

- Investing 5% of your annual income in a very speculative stock.
  - Extremely unlikely
  - Moderately unlikely
  - Somewhat unlikely
  - Not sure
  - Somewhat likely
  - Moderately likely
  - Extremely likely

- Investing 10% of your annual income in a new business venture.
  - Extremely unlikely
  - Moderately unlikely
  - Somewhat unlikely
  - Not sure
  - Somewhat likely
  - Moderately likely
  - Extremely likely

Imagine you are offered the lottery below.

With a probability of 60% you get CHF 100 and with a probability of 40% you get CHF 0. Please indicate the maximum amount you are willing to pay to participate in the lottery.

The following lottery includes losses. Imagine you have to participate in the lottery, unless you pay a certain amount before the lottery.

With a probability of 60% you lose CHF 100 but with a probability of 40% you lose CHF 0. Please indicate the maximum amount you are willing to pay to avoid the lottery.

Page 3: Introduction of the stock, CPP and RC

In the following, you will have the possibility to invest in three investment options: a stock and two different structured products. Imagine that the investment period is one year and the investment capital amounts to CHF 10'000.

First the three assets are explained. A diagram shows the profit or loss of the products as a function of the stock price at the end of the investment period. More information about the charts appears when you move the cursor over the respective chart. If you understand the assets, click on "next".

STOCK
Stocks are assets that represent shares in a company. The value of stocks can rise (unlimited) or fall (in extreme cases down to zero).

STRUCTURED PRODUCT A
The values of the structured products A and B depend on the development of the stock price (same stock as on the left).

Structured product A has a limited upside potential. The value at the end of the investment period is at most 110% of the original value. The product therefore has a limited profit in the case of a favorable development of the stock price, but the loss in the case of an unfavorable stock price development is lower than the loss of holding the stock.

STRUCTURED PRODUCT B
Structured product B has a limited loss in value. The value at the end of the investment period is at most 90% of the original value. The product is therefore protected against large losses in the case of an unfavorable development of the stock price, but the profit is lower compared to holding the stock in the case of a favorable development of the stock price.

Graphs showing profit or loss as a function of stock price at the end of the investment period.
Page 4: First investment decision

An analysis of the assets generated new findings regarding the probability of the level of profit or loss. The additional chart below shows a representative selection of 50 payoffs, all of which occur with the same probability of 2%. The profit or loss level is shown on the vertical axis. The red and blue bars of this chart represent the respective product, and the gray dots represent the stock.

**STOCK**

How attractive is the stock to you in comparison to the other assets?
- Very attractive
- Rather attractive
- Mediocre
- Rather unattractive
- Very unattractive

**STRUCTURED PRODUCT A**

How attractive is structured product A to you in comparison to the other assets?
- Very attractive
- Rather attractive
- Mediocre
- Rather unattractive
- Very unattractive

**STRUCTURED PRODUCT B**

How attractive is structured product B to you in comparison to the other assets?
- Very attractive
- Rather attractive
- Mediocre
- Rather unattractive
- Very unattractive

Imagine that you invest CHF 10'000 in the assets for one year. What percentage of your capital would you invest in which asset? Use the sliders to specify the result. The total percentage must be 100%.

**Percentage in stocks**

<table>
<thead>
<tr>
<th>Percentage</th>
<th>0%</th>
<th>20%</th>
<th>40%</th>
<th>60%</th>
<th>80%</th>
<th>100%</th>
</tr>
</thead>
</table>

**Percentage in structured product A**

<table>
<thead>
<tr>
<th>Percentage</th>
<th>0%</th>
<th>20%</th>
<th>40%</th>
<th>60%</th>
<th>80%</th>
<th>100%</th>
</tr>
</thead>
</table>

**Percentage in structured product B**

<table>
<thead>
<tr>
<th>Percentage</th>
<th>0%</th>
<th>20%</th>
<th>40%</th>
<th>60%</th>
<th>80%</th>
<th>100%</th>
</tr>
</thead>
</table>

Total investment: 0%
In the following, you have the possibility to design your own structured financial product.

To do so, use the sliders to determine the minimum payoff, the maximum payoff and the slope between them. For more information about this, move the cursor over the respective setting.

Again, imagine that you invest CHF 10'000 for one year in the designed product.
Page 6: Third investment decision

In the following, you once more have the possibility to invest in two different products: product C and product D. More information about the charts appears when you move the cursor over the respective chart.

**PRODUCT C**

[Graph showing stock price over time]

**PRODUCT D**

[Graph showing stock price over time]

How attractive is product C to you?
- Very attractive
- Rather attractive
- Mediocre
- Rather unattractive
- Very unattractive

How attractive is product D to you?
- Very attractive
- Rather attractive
- Mediocre
- Rather unattractive
- Very unattractive

Again, imagine that you invest CHF 10,000 in the products for one year. What percentage of your capital would you invest in which product?
Use the sliders to specify the result. The total percentage must be 100%.

**Percentage in product C**

[Sliders and percentage display]

**Percentage in product D**

[Sliders and percentage display]

Total investment: 0%
Finally, we would like to ask you a few questions about yourself.

Please indicate your gender.
- Male
- Female

How old are you?

Please indicate your marital status.
- Unmarried
- Married
- Divorced
- Widowed

Please indicate your nationality.

Please indicate your highest degree.
- No degree
- Elementary school graduation
- Completed apprenticeship
- High school degree
- Bachelor’s degree or equivalent
- Master’s degree or equivalent
- Doctor’s degree or equivalent

Please indicate your profession (main activity).
- Unemployed
- Student or in school
- Employed
- Self-employed
- Retired

Please indicate your average monthly net income.
- < CHF 1'000
- CHF 1'000 - 3'000
- CHF 3'000 - 5'000
- CHF 5'000 - 10'000
- > CHF 10'000

Submit